| Mathematics |  | Course to Program Map |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
| Program Outcomes: Upon completion of the program, graduates will be able to... |  | construct single and multivariable mathematical models for real world problems involving continuous change. <br> (fit model/graph) | employ appropriate mathematical techniques and attend to precision for solutions. (do the math) (solve) | interpret mathematical derivative and integral solutions both written and orally. (communicate) | apply algebraic reasoning and properties for problems involving continuous change. (decision making) |
| Courses |  |  |  |  |  |
| MATH 109 Trigonometry | 13 | IA | IA | IA | IA |
|  |  |  |  |  |  |
| MATH 110 Statistics | 123 | 1 | IA |  |  |
|  |  |  |  |  |  |
| MATH 116 Discrete Math | 13 | I |  | IA | IA |
|  |  |  |  |  |  |
| MATH 120 Precalculus | 13 | IA | IA |  | IA |
|  |  |  |  |  |  |
| MATH 121 Fundamentals of Calculus | 13 | IA | IA | IA | IA |
|  |  |  |  |  |  |
| MATH 122 Calculus and Analytic Geometry I | 134 | RA | RA | RA | RA |
|  |  |  |  |  |  |
| MATH 123 Calculus and Analytic Geometry II | 13 | RA | RA | RA | RA |
|  |  |  |  |  |  |
| MATH 205 Calculus and Analytic Geometry III | 135 | RMA | RMA | RMA | RMA |
|  |  |  |  |  |  |
| MATH 206 Differential Equations | 13 | RMA | RMA | RMA | RMA |
|  |  |  |  |  |  |


| Mapping |  |
| :--- | :--- |
| I | Introduced |
| $R$ | Reinforced |
| M | Mastered |
| A | Assessed/Artifact |


| Essential Skills |  |
| :--- | :--- |
| 1 | written communication |
| 2 | oral communication |
| 3 | critical thinking |
| 4 | cultural diversity |
| 5 | social responsibility |


| Employability Skills |  |
| :---: | :--- |
| C | communication |
| P | problem solving |
| $\mathbf{W}$ | work ethic |


| MATH 109 Trigonometry | Curriculum Map |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
|  |  |  |  |  |
| Course SLO: Students will be able to |  |  |  |  |
| define the trigonometric functions using both a right triangle and the unit circle. |  |  |  |  |
| define and interpret radian measurement. Recognize and apply circular functions as real-valued functions. |  |  | IA |  |
| solve for unknown sides/angles within right triangles and know trigonometric function values for special angles (multiples of $\pi / 6$ and $\pi / 4$ ). |  | IA |  |  |
| analyze the graphs of the six basic trigonometric functions and their arithmetic combinations using the concepts of period, phase shift, amplitude, and displacement. |  |  |  |  |
| derive/verify trigonometric identities, including but not limited to double angle, half angle, angle sum, and angle difference identities. |  |  |  | IA |
| define, graph, and apply inverse trigonometric functions. |  |  |  |  |
| solve equations involving trigonometric functions. |  | IA |  |  |
| find solutions of oblique triangles using the Law of Cosines or Law of Sines. |  | IA |  |  |
| solve applied problems including but not limited to vectors. | IA | IA |  |  |


| derive the trigonometric form of complex numbers <br> and perform calculations with them including <br> products and quotients. |  |  |  |  |
| :--- | :--- | :--- | :--- | :--- |
| translate between rectangular and polar coordinates <br> and graph within the polar coordinate system. |  |  | IA |  |


| MATH 110 Statistics | Curriculum Map |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
|  |  |  |  |  |
| Course SLO: Students will be able to |  |  |  |  |
| create graphical and numerical descriptions of quantitative and qualitative data. |  |  |  |  |
| calculate probabilities and percentiles related to a general normal distribution. |  | IA |  |  |
| distinguish differences in data analysis and interpretation between observational data and data from designed experiments. |  |  |  |  |
| calculate and interpret a confidence interval for a single parameter, using both large and small samples. |  | IA |  |  |
| perform and interpret a test of hypotheses for a single parameter, using both large and small samples. |  | IA |  |  |
| perform and interpret statistical inference on the difference of two parameters. |  | IA |  |  |
| fit and interpret a simple linear regression model, including correlation and scatterplots. | 1 | IA |  |  |


| MATH 116 Discrete Math | Curriculum Map |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
|  |  |  |  |  |
| Course SLO: Students will be able to |  |  |  |  |
| determine recursive and closed formulas for numerical sequences. |  |  |  |  |
| apply the operations of propositional logic to determine the equivalence of propositions and the truth of implications. |  |  |  | IA |
| apply proof by induction, by contradiction, and the pigeonhole principle. |  |  |  | IA |
| apply the language of sets and set properties to number systems. |  |  |  | IA |
| determine the properties of a particular relation. |  |  |  |  |
| apply permutations, combinations, and the binomial theorem to counting. | 1 |  | IA |  |
| determine probabilities of events using combinatorics. | 1 |  | IA |  |
| categorize systems of vertices and edges using graphs and trees. |  |  |  |  |


| MATH 120 Precalculus | Curriculum Map |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
|  |  |  |  |  |
| Course SLO: Students will be able to |  |  |  |  |
| algebraically and graphically analyze functions (including polynomial, radical, absolute value, piecewise-defined, rational, exponential, and logarithmic), determining any intervals where the function is increasing or decreasing, intercepts, asymptotes, symmetry, maxima and minima. |  |  |  |  |
| apply transformations, including translations, reflections, stretching, and compressing. |  |  |  |  |
| perform binary operations on functions, including addition, subtraction, multiplication, division, and composition. |  |  |  |  |
| find the zeros (real and complex) of a polynomial function. |  | IA |  |  |
| solve polynomial and rational inequalities. |  | IA |  |  |
| determine and analyze the inverse of a function. |  |  |  |  |
| simplify expressions using the properties of exponents and logarithms. |  |  |  |  |
| solve exponential and logarithmic equations. |  | IA |  |  |
| solve application problems involving exponential and logarithmic models. | IA | IA |  |  |
| convert angles to degrees or radians |  |  |  |  |
| compute arc length, area of a sector, linear and angular velocity. |  |  |  |  |


| determine the values of trigonometric functions and <br> the inverse trigonometric functions. |  | IA |  |  |
| :--- | :--- | :--- | :--- | :--- |
| graph the sine, cosine, and tangent functions using <br> phase shifts, periodicity, and amplitude. |  |  |  |  |
| simplify trigonometric expressions and establish or <br> verify trigonometric identities. |  |  |  |  |
| solve trigonometric equations. |  | IA |  |  |
| solve right triangles using right-angle trigonometry. |  | IA |  |  |
| solve oblique triangles using the Law of Sines and <br> Law of Cosines. |  | IA |  |  |
| solve applications involving triangles. | IA |  |  |  |
| solve nonlinear systems of equations. |  | IA |  |  |
| decompose a rational function into partial fractions. |  |  |  |  |


| MATH 121 Fundamentals of Calculus | Curriculum Map |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
|  |  |  |  |  |
| Course SLO: Students will be able to |  |  |  |  |
| evaluate limits using the formal limit definition, algebraic methods, and numerical or graphical methods. |  |  |  | IA |
| apply the definition of continuity and determine values for removable and non-removable discontinuities. |  |  | IA |  |
| find derivatives both explicitly and implicitly of algebraic functions using the limit definition and the power, product, quotient and chain rules. |  | IA |  | IA |
| apply derivatives to finding equations of tangent lines, solving applications involving marginal or motion, finding related rates, solving optimization problems, forming the differential of a function, and performing curve analysis. | IA | IA | IA |  |
| find indefinite integrals (anti-derivatives) using basic techniques as well as substitution, change of variable, long division, completing the square, integration by parts, and integral tables. |  |  |  | I |
| evaluate definite integrals using the Fundamental Theorem of Calculus, calculator techniques and numerical methods. |  |  | IA |  |
| differentiate and integrate basic transcendental functions and solve applications involving present value. | IA |  | I |  |


| MATH 122 Calculus and Analytic Geometry I | Curriculum Map |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
|  |  |  |  |  |
| Course SLO: Students will be able to |  |  |  |  |
| evaluate the limit of a function at a point both algebraically and graphically. |  | IA |  |  |
| evaluate the limit of a function at infinity both algebraically and graphically. |  | IA |  |  |
| use the definition of a limit to verify a value for the limit of a function. |  | IA |  | IA |
| use the limit to determine the continuity of a function. |  | IA |  |  |
| apply the Intermediate-Value Theorem. |  | IA |  | IR |
| use the limit to determine differentiability of a function. |  | IA |  |  |
| use the limiting process to find the derivative of a |  | RA |  | IA |
| find derivatives involving powers, exponents, and sums. |  | RA |  |  |
| find derivatives involving products and quotients. |  | RA |  |  |
| find derivatives involving the chain rule. |  | RA |  |  |
| find derivatives involving exponential, logarithmic, and trigonometric functions. |  | RA |  |  |
| find derivatives involving implicit differentiation. |  | RA |  |  |
| use the first derivative to find critical points. |  | RA |  |  |
| apply the Mean-Value Theorem for derivatives. |  | RA |  | R |
| determine the behavior of a function using the first derivative. |  |  | IA |  |
| use the second derivative to find inflection points. |  | RA |  |  |
| determine the concavity of a function using the second derivative. |  |  | IA |  |


| sketch the graph of the function using information gathered from the first and second derivatives. |  | RA | IA |  |
| :---: | :---: | :---: | :---: | :---: |
| interpret graphs of functions. |  |  | IA |  |
| use the derivative to find velocity, acceleration, and other rates of change. |  | RA | IA |  |
| use the derivative to find the equation of a line tangent to a curve at a given point. |  |  | IA |  |
| use optimization techniques in areas such as economics, the life sciences, the physical sciences, and geometry. | IA | RA | IA |  |
| solve related rates problems. | IA |  | IA |  |
| use Newton's Method. |  | RA | IA |  |
| use differentials to estimate change. |  |  | IA |  |
| find area using Riemann sums and integrals. |  |  | IA |  |
| express the limit of a Riemann sum as a definite integral. |  |  |  | R |
| evaluate the definite integral using geometry. |  |  | IA | R |
| integrate algebraic, exponential, and trigonometric functions. |  |  |  | R |
| evaluate definite integrals using the Fundamental Theorem of Calculus. |  |  | IA |  |
| apply the Mean-Value Theorem for integrals. |  |  |  | R |
| integrate indefinite integrals. |  |  |  | R |
| integrate using substitution. |  |  |  | R |
| approximate integrals using Simpson's Rule and the Trapezoidal Rule. |  | RA |  |  |


| MATH 123 Calculus and Analytic Geometry II | Curriculum Map |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
|  |  |  |  |  |
| Course SLO: Students will be able to |  |  |  |  |
| use integration to find area between curves and arc length of curves. | RA |  | RA |  |
| use integration to find volume and surface area of a surface of revolution. | RA |  | RA |  |
| use integration to find work and force. | RA |  | RA |  |
| use integration to find centroids. | RA |  | RA |  |
| apply integration by parts, trigonometric substitution, \& partial fractions to solve integrals. |  | RA |  |  |
| identify when to use and apply L'Hopital's Rule. |  |  |  | RA |
| evaluate improper integrals. |  | RA |  |  |
| determine and compute convergence/divergence of sequences and series. |  |  | RA | RA |
| find power series and Taylor and Maclaurin series representations of a given function and determine their intervals of convergence. |  |  |  | RA |
| identify conic sections and their features. |  |  |  |  |
| represent curves by parametric equations, and apply the methods of calculus to them. |  |  | RA |  |
| represent curves by polar equations. |  |  |  | RA |
| determine the area of a solid formed by a polar function. | RA |  |  |  |
| determine the arc length of a curve of a polar function. | RA |  |  |  |


|  | MATH 205 Calculus and Analytic Geometry III | Curriculum Map |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  |  |  |  |
|  | Course SLO: Students will be able to |  |  |  |  |
|  | definitions and properties associated with vectors (both 2 and 3 dimensional) and be able to perform all standard vector computations. |  |  | R |  |
| $\begin{aligned} & n \\ & \\ & \cline { 1 - 1 } \end{aligned}$ | write the equation of a sphere, a line (in 3-space) and a plane given relevant data about the structure. |  | RA |  |  |
| $\stackrel{\text { r }}{ }$ | determine the angle between two lines or two planes. |  | RA |  |  |
|  | determine the distance between a point and a plane or between two planes. | RA | RA |  |  |
| 山 | forms of equations in 3-space for a cylinder, cone, ellipsoid, paraboloid, hyperboloid of one sheet and hyperboloid of two sheets. | RA |  |  |  |
| $\begin{aligned} & \bar{\pi} \\ & \mathbf{n} \\ & \underline{Z} \end{aligned}$ | graph these equations as well as work applications involving these structures. | RA | RMA | R |  |
| $\begin{aligned} & \overline{\breve{u}} \\ & \underset{《}{U} \end{aligned}$ | convert between Cartesian, cylindrical and spherical coordinates. |  | RA |  | RMA |
| $\begin{aligned} & \stackrel{\rightharpoonup}{c} \\ & \stackrel{\rightharpoonup}{7} \end{aligned}$ | graph surfaces given in cylindrical or spherical coordinates. |  | RA | R |  |
|  | convert functions between Cartesian, cylindrical and spherical coordinate form. |  | RA |  | RMA |
|  | find limits, derivatives and integrals of vector-valued functions. |  | RA |  |  |


| understand the relationships concerning the position function, the velocity function and the acceleration function in space. |  |  | RMA |  |
| :---: | :---: | :---: | :---: | :---: |
| $\underset{\sim}{2}$ work applications involving projectile motion. | RA | RMA |  |  |
| find directed distance along a curve and the unit tangent vector of a differentiable curve. | RA | RA |  |  |
| find curvature, the radius of curvature and the Principal Unit Normal Vector of a plane curve. |  | RA |  |  |
| find the tangential and normal scalar components of acceleration. |  | RA |  |  |
| determine the domain of a function in three variables. |  | RA | R |  |
| bounded/unbound region, open/closed point and interior point. |  |  |  |  |
| find and sketch c-level curves of a two-variable function. |  | RA |  |  |
| graph surfaces by hand and also using a 3-D computer grapher. |  | RA | R |  |
| find limits and analyze continuity on a surface generated by a two-variable function. |  | RA |  |  |
| determine partial derivative (both first order and higher orders) for functions of two or more variables. |  | RA |  |  |
| determine the differentiability and continuity of a function in two variables. |  | RA |  |  |
| write a linear approximation of a function in two variables at a given point. |  | RA |  |  |
| 은 find the total differential of a function in two variables. |  | RA |  |  |
| $\frac{2}{4}$ write and use chain rules for functions in two or more variables. |  | RA |  |  |
| determine directional derivatives, gradient vectors and tangent planes. |  | RA |  |  |
| the student should be able to find extrema and saddle points of functions in two variables. |  | RMA |  | R |
| use Lagrange multipliers to find constrained extrema of functions in two variables. | RA | RMA |  |  |


| evaluate double and triple integrals. |  | RA |  |
| :---: | :---: | :---: | :---: |
| use the double integral to find the area of a region. | RMA | RMA |  |
| use the double integral to find the moments and the centroid of a region. | RMA | RMA |  |
| use double integrals to find the average value of a function on a region. | RA | RA |  |
| work a double integral either in rectangular or polar coordinate form. |  | RA |  |
| use the triple integral to find the volume of a solid or the area of a region. | RMA | RMA |  |
| use the triple integral to find the average value of a function in space. | RA | RA |  |
| use the triple integral to find the mass, moments and centroid of a solid. | RMA | RMA |  |
| work triple integrals in either rectangular, cylindrical or spherical coordinates. |  | RA |  |
| change variables in a double or triple integral using the Jacobian. |  | RA | R |
| technique for evaluating a line integral. |  |  |  |
| line integral to find the mass, moments and centroid of a thin rod or wire. | RA | RA |  |
| line integral to find the work done by a force in a vector field; also to find flow along a curve and flux across a curve. | RMA | RA |  |
| 쁠 divergence and curl of a vector function. |  | RA |  |
| green's Theorem to convert a line integral to a double integral (and visa versa). |  | RA | R |
| $\underset{>}{\mathrm{m}}$ find surface integrals and flux across a surface. |  | RA |  |
| surface integral to find the mass, moments and centroid of thin shells. | RA | R |  |
| $\underset{\square}{\text { E }}$ divergence theorem to evaluate surface integrals. |  | R |  |
| stake's Theorem to convert a surface integral to a line integral (or visa versa). |  | R |  |
| $\geqq$ fundamental theorem of line integrals in order to evaluate line integrals which are independent of path. |  | RA | R |



| MATH 206 Differential Equations | Curriculum Map |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
|  |  |  |  |  |
| Course SLO: Students will be able to |  |  |  |  |
| explain the Basic Terminology and Definitions for the Study of Differential Equations. |  |  | R |  |
| show proficiency with First-Order Differential Equations. |  | RMA |  | RMA |
| show proficiency in Modeling First-Order Differential Equations. | RMA |  | RMA |  |
| show proficiency with Higher Order Differential Equations. |  | RMA |  | RMA |
| show proficiency in Modeling Higher Order Differential Equations. | RMA |  | RMA |  |
| show proficiency with Series Solutions of Linear Equations. |  | RMA |  | RMA |
| show proficiency in Laplace Transform. |  | RMA |  | RMA |
| show proficiency in the System of Linear First-Order Differential Equations. |  | RMA |  | RMA |
| show proficiency in Numerical Solutions of Ordinary Differential Equations. (if time permits). |  | RMA |  |  |

